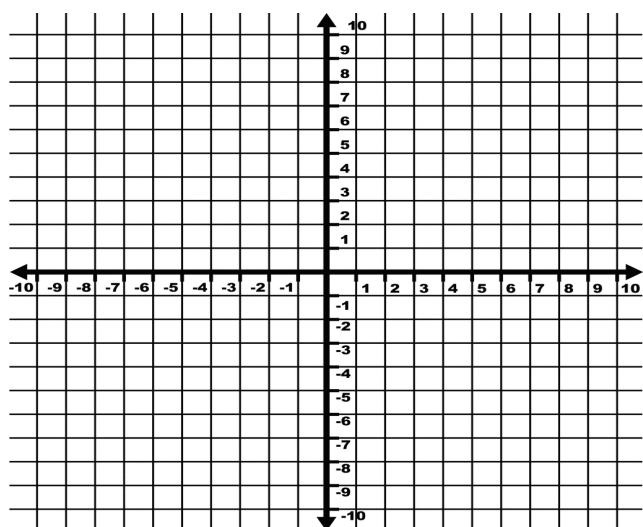


Warm Up

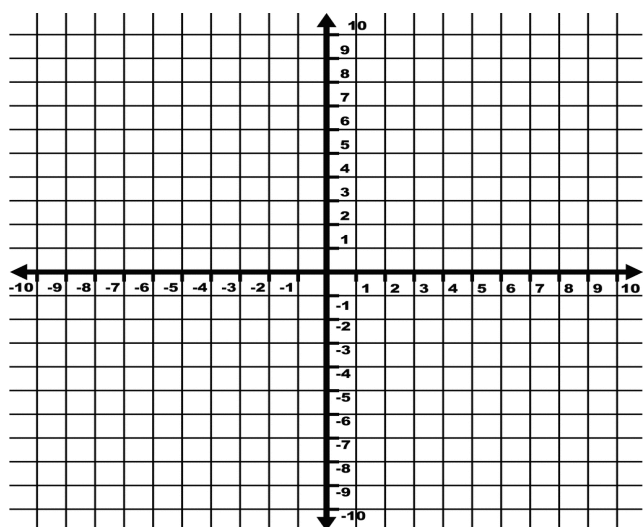
*Hand back tests-Go over them!

*Check answers to homework

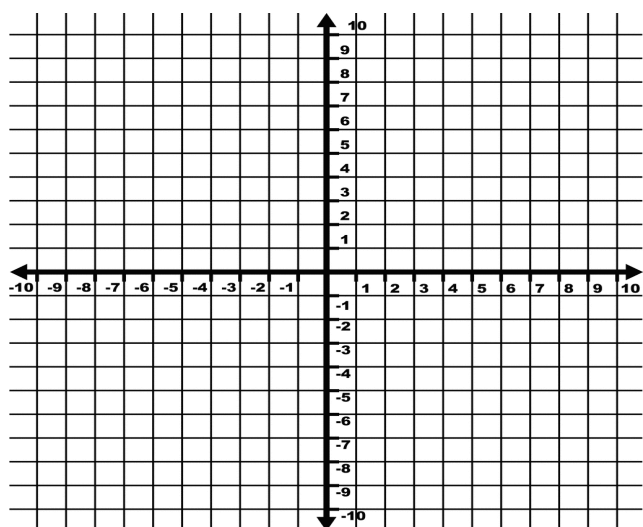
*Prereq CH 3 worksheet



*Prereq CH 3 worksheet



*Prereq CH 3 worksheet



Chapter 3
Systems
(Ch3.1/3.2) Solving Systems
Graphing and Algebraically

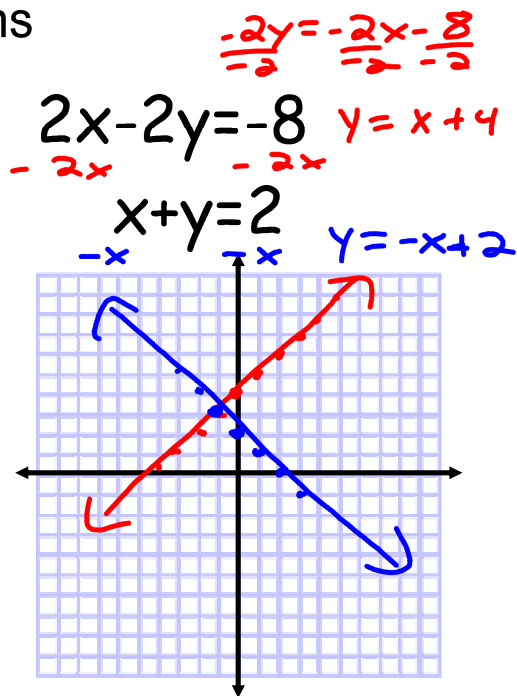
I. 2-Variable Systems

Graphing Method



1. Solve the equations for y.
2. Graph by plotting the y-int and using slope to find another point.
3. Solution is the intersection point.

$(-1, 3)$



I. 2-Variable System

Substitution Method



1. Solve one equation for x or y.

$$x + 3 = 2$$

$$\quad -3 \quad -3$$

$$x = -1$$

$$2x - 2y = -8$$

$$x + y = 2$$

$$x = -y + 2$$

2. Substitute this expression into the other equation and solve.

$$(-1, 3)$$

3. Substitute the value to find the other variable.

$$2(-y + 2) - 2y = -8$$

$$-2y + 4 - 2y = -8$$

$$-4y + 4 = -8$$

$$-4y = -12$$

$$y = 3$$

I. 2-Variable Systems

Elimination/Combination Method



1. Multiply one or both equations to get opposites for one variable.

2. Add the equations. Solve.

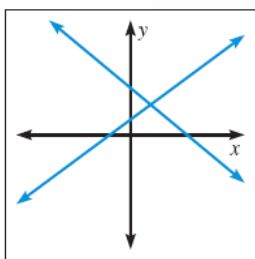
3. Substitute the value to find the other variable.

$$\begin{array}{r}
 2x - 2y = -8 \\
 2(x + y = 2) \cdot \begin{array}{l} -1 + y = 2 \\ +1 \quad +1 \\ y = 3 \end{array} \\
 \hline
 2x + 2y = 4 \\
 2x - 2y = -8 \\
 \hline
 4x = -4 \\
 \frac{4x}{4} = \frac{-4}{4} \\
 x = -1
 \end{array}$$

$(-1, 3)$

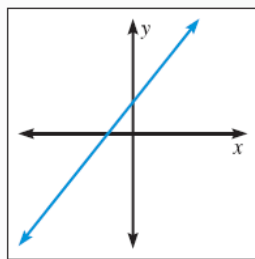
II. Number of Solutions

Graphically



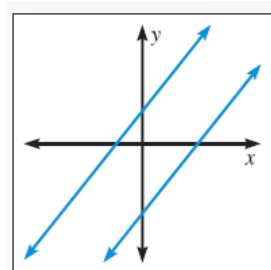
Exactly one solution

consistent independent
(one solution)



Infinitely many solutions

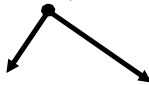
consistent dependent
(many solutions)



No solution

inconsistent

at least one solution



Algebraically

$x =$
 $y =$

$0 = 0$

∞ many solutions

$0 = 4$

No solution

III. Application Problems

Solid Mixture Problem

A company is making a 20 pound trail mix to sell for \$.93 a pound. The peanuts are \$.79 per pound and the M&Ms are \$1.49 per pound. How many pounds of each must they mix? $X = \text{peanuts}$ $y = \text{M\&M's}$

$$\begin{aligned} & \cdot .79x + 1.49y = .93(20) \\ & \cdot -.79(x + y = 20) \\ & \quad - .79x - .79y = -15.8 \\ & \quad \underline{.79x + 1.49y = 18.6} \\ & \qquad \qquad \qquad .7y = 2.8 \end{aligned}$$

$$\begin{aligned} X + 4 &= 20 & y &= 4 \text{ lbs M\&M's} \\ X &= 16 \text{ lbs} \\ & \text{peanuts} \end{aligned}$$

*Try problems #1-3 on Blue ws

III. Application Problems

Coin Problem

Max has some quarters and dimes in his pocket. If he has twice as many quarters as dimes, for a total of **\$4.20**, find the number of quarters and dimes in his pocket?

$$x = \text{quarters } .25 \quad y = \text{dimes } .10$$

$$.25x + .10y = 4.20$$

$$x = 2y \quad .25(2y) + .10y = 4.20$$

$$.5y + .10y = 4.20$$

$$.60y = 4.20$$

$$y = 7 \text{ dimes}$$

$$x = 2(7)$$

$$x = 14 \text{ quarters}$$

*Try problems #4-6 on Blue ws

III. Application Problems

7-10

Number Problems

One number is twice the second number minus one. Their sum is 32. Find the numbers.

$$x = \text{One \#} \quad y = \text{2nd \#}$$

$$x = 2y - 1$$

$$x + y = 32$$

$$2y - 1 + y = 32$$

$$3y - 1 = 32$$

$$3y = 33$$

$$y = 11$$

$$x = 2(11) - 1$$

$$x = 22 - 1$$

$$x = 21$$

*Try problems #7-10 on Blue ws

III. Application Problems

Investment Problem

Mrs. Watkins invests \$4000- some at 4% and the rest at 5%. Find the amount invested at each rate of interest if the total annual return is \$190.

$X = \$ \text{invested @ } 4\%$

$Y = \$ \text{invested @ } 5\%$

$$\begin{aligned} X + Y &= 4000 \\ .04X + .05Y &= 190 \end{aligned}$$

#11-13

*Try problems #11-13 on Blue ws

III. Application Problems

#14-16

Geometry Problems

The length of a rectangle is three times the width. If the area is 75 square inches, find each dimension.

 $A = lw$ $l = \text{length}$ $w = \text{width}$

$$l = 3(w)$$

$$l = 15$$

$$l = 3(w)$$

$$75 = lw$$

$$75 = 3w(w)$$

$$75 = 3w^2$$

$$\frac{75}{3} = \frac{3w^2}{3}$$

$$\sqrt{25} = \sqrt{w^2}$$

$$w = 5$$

*Try problems #14-16 on Blue ws

Homework:

-Unit Plan Day 1 (3.1/3.2)

-Blue Word Problem WS due Day 3
(Quiz on Day 3-next week)